Efficient Abstraction of Clock Synchronization at the Operating System Level

Alessandro Sorrentino, Federico Terraneo, Alberto Leva

Politecnico di Milano, Italy



How does a real time (operating) system know time?





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```
int getTime()
{
    return TIM_CNT;
}
void setNextInterrupt(int t)
{
    TIM_MATCH = t;
}
```



Enter distributed real-time systems



The effect of frequency error

Synchronization error between two oscillators that differ in frequency by 50ppm, or 0.005%.



Fixing the problem

Many approaches to clock synchronization.

- Master-slave: all nodes synchronize to a time reference
- Consensus-based: nodes synchronize among each other

• ...

In this presentation we focus on the master-slave case.



Fixing the problem

We need three new actors

- A sensor, to measure our synchronization error
- An actuator, to correct our clock
- A clock synchronization algorithm



Basic clock synchronization (no skew compensation)

Basic clock synchronization

- The sensor: clock synchronization packets from the master
- The actuator: overwriting the timer counter
- The clock synchronization algorithm: TPSN, DMTS, ...



Basic clock synchronization (no skew compensation)

```
int getTime()
{
    return TIM_CNT;
}
void setNextInterrupt(int t)
{
    TIM_MATCH = t;
}
void onClockSyncPacket(int timestamp)
{
    TIM_CNT = syncAlgorithm(timestamp);
}
```



Basic clock synchronization (no skew compensation)



Advanced clock synchronization (with skew compensation)

Advanced clock synchronization

- The sensor: clock synchronization packets from the master
- The actuator: something that can change clock frequency ...
- The clock synchronization algorithm: FTSP, RBS, TATS, FLOPSYNC-2 ...

How to change the clock frequency

- hardware approach: possible, but expensive
- software approach: virtual clock



Advanced clock synchronization (with skew compensation)

```
float a:
int b;
int getTime()
{
    return a * TIM CNT + b: //Virtual clock
}
void setNextInterrupt(int t)
{
    TIM MATCH = (t - b) / a;
}
void onClockSyncPacket(int timestamp)
{
    int error = computeError(tiemstamp);
    tie(a,b) = syncAlgorithm(error);
}
```

Advanced clock synchronization (with skew compensation)



A virtual clock makes it *possible* to have a continuous/monotonic clock, but a good sync algorithm is required.

When adding a virtual clock to your codebase, you have two times

- Corrected time (virtual clock time)
- Uncorrected time (HW clock time)



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- Corrected time (virtual clock time)
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From a software engineering perspective, uncorrected time is best encapsulated.



However, uncorrected timestamps are used by the *sensor* code that *measures* clock synchronization error.



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Formally, the model of the clock synchronization sensor becomes *nonlinear*.

Proposed solution

Make a control algorithm that can deal with the introduced nonlinearity.



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How? feedback linearization.



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 $f(\boldsymbol{x}(k),\boldsymbol{u}(k))=a\boldsymbol{x}(k)+b\boldsymbol{v}(k)$



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If I can solve for u(k) I can make a controller so that the compound system with input v(k) and output x(k+1) is linear.

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This approach has been applied producing the FLOPSYNC-3 controller (details in the paper).

Simulation results



Implementation results



That's all, but don't forget to...

• Read the paper!

Lots of interesting details, including how to *efficiently* implement a virtual clock.

https://re.public.polimi.it/handle/11311/1227829

Thanks for the attention, questions?

